Improving Customer Retention Management through Cost-Sensitive Learning

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IMPROVING CUSTOMER RETENTION MANAGEMENT
THROUGH COST-SENSITIVE LEARNING

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ABSTRACT

Purpose—Retailers realize that customer churn detection is a critical success factor. However, no research study has taken into consideration that misclassifying a customer as a non-churner (i.e. predicting that (s)he will not leave the company) results in higher costs than predicting that a staying customer will churn. This article aims to examine the prediction performance of various cost-sensitive methodologies (direct minimum expected cost (DMECC), metacost, thresholding and weighting) that incorporate these costs of misclassifying customers in predicting churn.

Design/methodology/approach—Cost-sensitive methodologies are benchmarked on six real-life churn datasets from the retail industry.

Findings—This article argues that total misclassification cost, as a churn prediction evaluation measure, is crucial input for optimising consumer decision making. The practical classification threshold of 0.5 for churn probabilities (i.e. when the churn probability is greater than 0.5, the customer is predicted as a churner, and otherwise as a non-churner) offers the worst performance. The provided managerial guidelines suggest when to use each cost-sensitive method, depending on churn levels and the cost level discrepancy between misclassifying churners versus non-churners.

Practical implications—This research emphasises the importance of cost-sensitive learning to improve customer retention management in the retail context.

Originality/value—This article is the first to use the concept of misclassification costs in a churn prediction setting and to offer recommendations about the circumstances in which marketing managers should use specific cost-sensitive methodologies.

Keywords: Customer Retention; Database Marketing; Relationship Marketing; Retailing
1. INTRODUCTION

Intense competition and increased choices available to customers create new pressures on retailers to manage their customers in long-term relationships (Shaw et al. 2001, Demoulin and Zidda 2009). More and more retailers are pushed from a product-centric focus into the practice of a customer-centric strategy. Indeed, many companies are turning to customer relationship management (CRM) to better serve and facilitate closer relationships with customers (Noble and Phillips 2004, Nagar and Rajan 2005, Torkzadeh et al. 2006, Leenheer and Bijmolt 2008, Sen and Sinha 2011, Hung et al. 2010, Maklan and Knox 2009). Retailers acknowledge that one of the cornerstones of a solid CRM strategy is the existence of a loyalty (card) or reward program that collects customer data. In recent years, the availability of large volumes of data on customers has created new opportunities to leverage customer knowledge and gain competitive advantage. The growing popularity of customer retention policies results in increased interest in academia as well as in business (Magi 2003, Keh and Lee 2006, Cortiñas et al. 2008, Dowling and Uncles 1997, Taylor and Neslin 2005, Allaway et al. 2006). A critical domain for improving companies’ retention strategies involves customer churn prediction, which can have serious implications for companies’ cumulative profit. For example, Clark (1997) reports that a 1 percent point decrease in churn rate of a major UK retail bank increased its total earnings from €392.2 million to €419.7 million—that is, by €27.5 million—over a time period of 25 years and a 6 percent discount rate.

This study presents a benchmark framework of different cost-sensitive algorithms that take into account different misclassification costs for customer churn predictions in a retail environment. Benchmarking is an important learning tool for organizations for a variety of applications (Vorhies and Morgan 2005, Homburg et al. 2012), including customer defection detection (Wright and Riebe 2010, Verbeke et al. 2011). This research study seeks to clarify which factors influence the performance of cost-sensitive learners in defection detection analysis.

The next section introduces customer retention literature and churn prediction methodologies, while highlighting the importance and relevance of incorporating different misclassification costs.
Next a summary of frequently used performance measures in customer churn classification also invokes a discussion of their weaknesses related to cost asymmetries. Consequently, the classification technique and the non-sampling based cost-sensitive learners, namely, relabeling (with direct minimum expected cost classification and metacost), threshold adjusting and weighting, are explained. After the empirical setting is presented (i.e. datasets and practical threshold), the next section reports the findings, followed by the managerial implications and suggestions for further research in the final section.

2. CUSTOMER RETENTION & CHURN PREDICTION

Retailers acknowledge that customer retention management becomes increasingly important when markets become saturated and highly competitive (Keaveney and Parthasarathy 2001, Ang and Buttle 2006). For instance, the defection rate appears more often as a key marketing metric (Rust et al. 2004). The drivers of successful customer retention management have been studied widely, mainly because of their impact on the customer lifetime value and thus on companies’ bottom line profits (Bolton 1998, Rust and Chung 2006, Verhoef 2003, Gupta et al. 2004, Reichheld 1996, Reichheld and Sasser 1990, Wright and Riebe 2010). Many studies seek to examine customer retention drivers, including inter-customer dynamics through social influence (Nitzan and Libai 2011), multichannel relational communication (Godfrey et al. 2011), satisfaction (Bolton 1998, Oliver 2010, Gustafsson et al. 2005, Mittal and Kamakura 2001, Bolton et al. 2006), loyalty programs (Leenheer et al. 2007, Lewis 2004, Meyer-Waarden 2007), customer usage patterns (Verhoef 2003, Bolton and Lemon 1999), brand equity (Stahl et al. 2012) and customer characteristics (Cooil et al. 2007).

Focussing on customer retention in turn implies some important managerial and financial implications. First, through customer retention, organizations can better serve their current customer base by building and maintaining relationships, rather than expending efforts to recruit new customers, which are often characterised by a high attrition rate (Reichheld and Sasser 1990, Richards and Jones 2008). Second, long-lasting customers spend more with companies, provide
new referrals through positive word of mouth if satisfied, and are less costly to serve, because the company has more knowledge about them (Ganesh et al. 2000). Third, long-term customers are less prone to competitive marketing actions. Fourth, losing customers leads to opportunity costs and missed possibilities to cross- or up-sell products, while also it increases the necessary costs to attract new customers.

The use of information technology and decreasing computer performance-to-cost ratios shed light on customer churn prediction as a popular instrument in the customer retention management toolbox (Neslin et al. 2006, Lemmens and Croux 2006). In this research, we define churn prediction as the identification of customers who have a high likelihood of completely ending the relationship with the firm, by means of data mining techniques. The idea is to improve customer retention rates by classifying customers as churners or non-churners, based on their predicted churn probability, and by targeting incentives to those customers at risk to persuade them to stay with the firm. Data mining techniques are able to explore and analyse huge amounts of available customer data to assist in the selection of customers at risk (Hung et al. 2006, Dierkes et al. 2011). Developments in database processing (Ziarko 1991), data warehousing (Kelly 1996), machine learning (Holsapple et al. 1993, Shaw 1993) and knowledge management (Amidon 1998) have made data mining an attractive and useful tool to uncover hidden patterns in customer data.

From a methodological perspective, customer churn prediction is the process by which customers are predicted to belong to the churner or non-churner class, based on their historical profile information. Practically, a classification model is built on a set of customers for which historical profile information and target classes, churner or non-churner, are available (the training set). This classification model tries to link the customer profile information with the behavioural churning outcome. After the classification model is trained, it is evaluated on a set of customers that were not used during the model building phase (the test set). The result is a churn probability assigned to every customer in the test set, indicating the chance that he or she will end
the relationship with the company (Au et al. 2003, Coussement and Van den Poel 2008b). Classifying these customers into churners or non-churners based on their probability to leave the company makes it possible to come up with a tailor-made retention program that focuses on the customers at risk.

However, prior research focused on churn prediction rarely considers the existence of different misclassification costs (Neslin et al. 2006, Lemmens and Croux 2006, Risselada et al. 2010, Coussement and Van den Poel 2008b, Verbeke et al. 2011). It assumes that classifying a churner as a non-churner has the same impact on retention profitability as categorizing a non-churner as a churner. This assumption has several complications, because in real-world decision-making situations, the assumption of equal misclassification costs, the default operating mode for many classifiers, is most likely violated (Viaene and Dedene 2005). Medical diagnosis is a classic case. In this case, failing to detect a disease may have fatal consequences, whereas diagnosing a disease for a patient that does not actually have it may be less serious. A comparable situation arises for customer churn detection. Here, failing to identify a churner (false negative prediction) has larger managerial and financial consequences than categorizing a non-churner as a churner (false positive prediction). In the case of false negative predictions, the company does not even have the opportunity to induce customers to stay by sending them marketing incentives, and therefore, it loses the customers and forgoes profits, opportunities to cross-sell and up-sell and so forth. For false positive classifications, there is only a redundant ‘pampering’ cost. In summary, many classifiers are designed to optimise classification performance without taking into account the different costs of misclassification (Domingos 1999).

3. MISCLASSIFICATION COST AS A PERFORMANCE MEASURE

Although the error rate, or the area under the receiver operating characteristics curve (AUC), and the top-decile lift are often used to evaluate the performance of churn prediction models (Lemmens and Croux 2006, Coussement and Van den Poel 2008a, Risselada et al. 2010), they ignore the presence of asymmetry in misclassification costs. The error rate, or one minus the
accuracy, is the most common performance measure used in churn prediction applications (Coussement and Van den Poel 2008a). Practically, all customers are assigned a churn probability by the classification algorithm, and they are ranked from most likely to churn to least likely to churn. All customers with a churn probability above a certain threshold are classified as churners, while all others are seen as stayers. The error rate computes the ratio of incorrectly classified customers to the total number of customers to be classified. Despite its popularity, using the error rate as a performance measure is subject to criticism (Provost and Fawcett 2001), because it assumes equal misclassification costs and relatively balanced distributions between churners and non-churners. In a churn prediction context, there are always more non-churners than churners present in the dataset. Hence wrong predictions for the churners are very costly; however, they do not enormously influence the error rate. A churn prediction model minimizing the error rate usually results in a useless model, because it predicts customers as non-churners. For example, suppose one encounters a churn prediction setting with 5 percent churners. A classification algorithm that always predicts customers as being non-churners—and thus fails to identify the real churners—provides an error rate of only 5 percent. This seems an excellent prediction performance. However, such a model neglects to true purpose of the churn prediction model, that is, the identification of churning customers.

Several authors (e.g. Bradley 1997) have come up with the concept of AUC to evaluate the performance of binary classification models. Intuitively, the AUC is the estimated probability that a randomly chosen churner has a higher predicted churn probability than a randomly selected non-churner. For instance, suppose that a churn model has an AUC of 0.70. It means that if we were to randomly pick a real churner and a non-churner from the churn dataset, 70 percent of the time, the churner will have a higher predicted churn probability assigned by the classifier than the non-churner. The AUC is a ranking measure that evaluates the churn prediction model based on the ranking of the customers using the predicted churn probability and real churning behaviour. The values of the AUC measure range from 0.5, the purely random ranking, to 1, the perfect
ranking. However, the AUC measure suffers from two main drawbacks from a decision-making perspective, that is, for trying to classify customers into churning or staying based on the predicted churn probabilities. First, it does not show the marketing manager how to set the classification threshold on the predicted churn probabilities to optimize decision making (Margineantu 2000, Margineantu 2001). Second, the accurate ranking of customers that underlies the AUC measure semantics is not equivalent to the accurate predicted churn probability estimation task (Viaene and Dedene 2005). For making optimal decisions about whether a customer is considered as a churner or a non-churner, a model that perfectly ranks the customers based on the predicted churn probabilities but fails to estimate those churn probabilities accurately is insufficient. For more technical details about the AUC measure, see Bradley (1997).

Another prediction performance measure that is popular within the marketing community is the top-decile lift (Lemmens and Croux 2006, Neslin et al. 2006, Risselada et al. 2010). It measures the increase in density of the real churners within the 10 percent of customers predicted as most likely to churn. Practically, all customers are sorted from most likely to churn to least likely to churn using the predicted churn probabilities. Among the top 10 percent of customers most likely to churn, the proportion of real churners is compared with the proportion of real churners in the total database. This increase in density is called the top-decile lift. From an optimal decision-making perspective, several problems arise. First, the threshold (i.e. 10 percent) for classifying a customer as a churner is arbitrarily chosen and neglects the minimization of the total misclassification cost. Second, by focusing on maximizing the relative percentage of churners in the top 10 percent, the top-decile lift does not take into account the misclassification of customers.

In summary, the error rate, the AUC and the top-decile lift do not lead to an optimal evaluation of the classification algorithm when different misclassification costs occur. The extra element needed for optimal decision making is an evaluation in terms of total misclassification cost. Improving marketing decision making by minimizing the overall misclassification cost in a
churn prediction context is recommended and supported in many practical situations. For instance, suppose that customer $x$ enters a bank office. Based on the customer’s historical information, the company’s churn model indicates that client $x$ has a probability of 70 percent of churning within the next six months. To take the appropriate churn prevention action, the company needs an indication whether customer $x$ will be classified as leaving or staying. Marketing decision makers must make an optimal decision in correspondence with the minimization of the total misclassification cost.

Typically, the confusion/cost matrix $C$ has the following structure in a churn prediction context (see Table 1).

**INSERT TABLE 1 OVER HERE.**

Customers are predicted by the churn prediction model to be churners or non-churners, such that customers with a higher (lower) churn probability than the threshold are classified as (non-)churners. Depending on their real behaviour of staying or leaving the firm, four possibilities could occur: TP (true positives) are the number of churners that are correctly identified, FP (false positives) are the number of non-churners that are classified as churners, FN (false negatives) are the number of churners that are identified as non-churners and TN (true negatives) are the number of non-churners that are classified as non-churners. By following the convention of recent papers on cost sensitivity, the cost matrix rows correspond to alternative predicted classes, while the columns correspond to actual classes (i.e. row/column = $t$/$j$ = predicted/actual class). The cost for a TP is denoted as $c_{11}$, the cost for a TN is denoted as $c_{00}$, the cost for a FP is denoted as $c_{10}$ and the cost for a FN is denoted as $c_{01}$. Note that if $c_{..}$ is larger than 0, it represents an actual cost, whereas if $c_{..}$ is smaller than 0, it represents a benefit.

Cost matrices often implicitly meet two reasonableness conditions formulated by Elkan (2001). The first reasonableness condition implies that neither row in the matrix dominates the other. A simple, intuitive criterion exists for when this happens: Say that row 1 dominates row 2 in a cost matrix $C$ in Table 1 if for all $j \in \{0, 1\}$, $c_{1j} \geq c_{0j}$. In this case, the cost of predicting non-
"churner" is no greater than the cost of predicting "churner", regardless of what the true class \( j \) is. So, it is optimal never to predict "churner". The second reasonableness condition implies that the cost of labelling an instance correctly is always lower than the cost of labelling an instance incorrectly. Finally, the total misclassification cost is calculated as follows:

\[
\text{Total Misclassification Cost} = c_{11} \cdot \text{TP} + c_{10} \cdot \text{FP} + c_{00} \cdot \text{TN} + c_{01} \cdot \text{FN}
\]  

(1)

From an optimal decision making perspective, one wants to set the threshold on the predicted churn probabilities so that the total misclassification cost is minimized.

4. CLASSIFICATION TECHNIQUE

In cost-sensitive learning, Domingos (1999) suggests using a classifier that is well-suited to the domain. As such, logistic regression is used as the classifier throughout this research paper, because Neslin et al. (2006) state that it is a popular classification technique in traditional marketing applications like customer churn prediction, and it is widely used in different business settings (Akinci et al. 2007). Finally, it is a simple technique (Bucklin and Gupta 1992), providing quick and robust results.

Logistic regression is able to estimate the churn probability \( p(j=1|x) \) via:

\[
\ln \left( \frac{p(x \mid j = 1)}{p(x \mid j = 0)} \right) = b + w^T x
\]

(2)

where \( w \in \mathbb{R}^n \) is the coefficient vector, and \( b \in \mathbb{R} \) is the intercept. As such, the churn probability \( p(j=1|x) \) is obtained from Equation (2) by:

\[
p(j=1|x) = \frac{\exp(b^* + w^T x)}{1 + \exp(b^* + w^T x)},
\]

(3)

where \( b^* = b + \ln \left( \frac{p(j = 1)}{p(j = 0)} \right) \), \( p(j=1) \) and \( p(j=0) \) as the class priors. The class membership probabilities are used to obtain the maximum likelihood estimates for \( w \) and \( b^* \).

5. NON-SAMPLING BASED COST-SENSITIVE LEARNING TECHNIQUES
In this section, the most popular cost-sensitive learning techniques are revisited. The idea is to optimize decision making in a customer churn prediction context by taking into account that misclassifying a churner has greater consequences than misclassifying a non-churner. Instead of building a churn prediction model that delivers a good fit to the data, cost-sensitive learners have as their objective the minimization of the total misclassification cost. Two categories of cost-sensitive learners exist in literature: non-sampling and sampling based (Sheng and Ling 2006). In contrast with non-sampling–based cost-sensitive learners, sampling-based cost-sensitive learners increase the proportion of churners in the training dataset in an attempt to improve churn prediction performance by (a) randomly duplicating churning customers (over-sampling) or (b) randomly deleting non-churners (under-sampling). Sampling-based cost-sensitive learners have several drawbacks though. First, they distort the distribution of customers, which may affect the performance of some classification algorithms. Second, they reduce the data available for training, if sampling is carried out by under-sampling. Third, over-sampling drastically increases the learning time of classifiers. Therefore, we focus on the non-sampling–based cost-sensitive learning techniques, which do not touch the original training dataset. For clarity, the term ‘cost-sensitive’ refers to ‘non-sampling–based cost-sensitive’ in the remainder of the text.

Cost-sensitive learners are divided into three categories: relabeling, threshold adjusting and weighting (Sheng and Ling 2006). The first two categories are categorized as wrappers, or techniques that could be wrapped around any existing classification technique to make it cost sensitive. These methods make any classifier minimize total misclassification cost rather than minimize the error rate. The latter category, weighting, adjusts the internal classifier’s unique fitting function so that the weights assigned to customers, which depend on the class label, are incorporated in the training process.

Relabeling is based on reassigning the target class labels, churner or non-churner, of the customers by applying the direct minimum expected cost criterion that assigns a customer to the target class with the lowest misclassification cost. Relabeling can be done in the post-training
phase, using a method called direct minimum expected cost classification (Duda et al. 2001), or in the pre-training phase, as proposed by Domingos (1999), using the metacost algorithm. Threshold adjusting searches for the best churn probability on the training set as a threshold for optimal future decision making in terms of misclassification cost on the test set (Sheng and Ling 2006). Weighting assigns different weights to customers depending on the target class. The purpose is to favour the classifier to the class with the highest weight/cost.

5.1. Relabeling: Direct Minimum Expected Cost Classification (DMECC)

Many classification techniques produce predicted churn probabilities that could be used to classify customers into churners or non-churners. Viaene and Dedene (2005) revisited DMECC as a valuable tool to improve decision making when misclassification costs are different. In a churn classification context, the optimal Bayes decision-making criterion dictates that a customer with a predictor vector $x \in \mathbb{R}^n$ should be assigned to the target class $t \in \{0,1\}$ (with 0 non-churner and 1 churner) associated with the minimum expected cost (Duda et al. 2001). The optimal Bayes’ decision criterion for a customer $x$ is the class $t$ where:

$$\arg\min_{t \in \{0, 1\}} \sum_{j=0}^{1} p(j \mid x)c_{tj},$$  \hspace{1cm} (4)

where $p(j \mid x)$ is the conditional probability of class $j$ given predictor vector $x$, and $c_{tj}$ is the cost of classifying a customer with predictor vector $x$ and actual class $j$ as class $t$. If $t=j$, then the prediction is correct, while if $t \neq j$, the prediction is incorrect.

Given the reasonableness conditions of the cost matrix $C$ and for a churn classification setting, the prediction for the churner class is optimal if the expected cost of this prediction is less than the expected cost of predicting the non-churner class, that is, if:

$$p(j=0 \mid x) c_{10} + p(j=1 \mid x) c_{11} < p(j=1 \mid x) c_{01} + p(j=0 \mid x) c_{00},$$  \hspace{1cm} (5)

which is equivalent to:

$$(1-p) c_{10} + p c_{11} < p c_{01} + (1-p) c_{00}.$$  \hspace{1cm} (6)
with \( p = p(j=1|x) \). If this inequality is an equality, then predicting a customer as either a churner or a non-churner is optimal. The threshold for making optimal decisions is \( p^* \), such that

\[
(1-p^*) c_{10} + p^* c_{11} = p^* c_{01} + (1-p^*) c_{00}.
\]  
(7)

Rearranging the equation for \( p^* \) leads to the following solution:

\[
p^* = \frac{c_{10} - c_{00}}{c_{10} - c_{11} + c_{01} - c_{11}}.
\]  
(8)

In other words, the classification rule that assigns the churner class is:

\[
p(j=1|x) > \frac{c_{10} - c_{00}}{c_{10} - c_{11} + c_{01} - c_{11}},
\]  
(9)

and the instance is assigned to the non-churner class otherwise.

The DMECC costing method categorizes customers into churners or non-churners by applying the direct minimum expected cost criterion on the predicted churn probabilities \( p(j=1|x) \) using Equation (9). The advantages of using this method are that any classification technique that produces churn probabilities \( p(j=1|x) \) can make use of Equation (9) to determine whether the optimal class is churner or non-churner, and the classification model does not need to be retrained when the structure of cost matrix \( C \) changes, because relabeling is only introduced in the post-training phase, after the classification model is trained and the churn probabilities are obtained.

5.2. Relabeling: Metacost

Metacost is aimed at making a churn prediction classifier cost-sensitive by manipulating the churn labels on the training data before the classifier is built (Domingos 1999, Viaene and Dedene 2005). It is based on wrapping a ‘meta-training’ stage around the classifier that optimally relabels customers as churner or non-churner, in such a way that the classifier effectively minimizes the total misclassification cost. In other words, metacost treats the underlying classifier as a black box, requiring no knowledge of its functioning or changes to it.
Methodologically speaking, Domingos (1999) estimates the churn probability $p(j=1|x)$ by using a variant of Breiman’s (1996) bagging (or bootstrap aggregation). Multiple bootstrap replicates of the training set are formed and a classifier is trained on each of the bootstrap samples. The final $p(j=1|x)$ for a customer is obtained by taking the unweighted average of its churn probabilities given by the bootstrap models. Using the optimal Bayes’ decision criterion as formulated by Equation (9), each customer in the training set is relabelled with its optimal target class, churner or non-churner. In a final stage, the classifier is built on the relabelled training set to obtain the final churn prediction model, which is then applied to the test set. More technical information is available in Domingos (1999).

5.3. Threshold Adjusting

Threshold adjusting (Sheng and Ling 2006) finds the optimal predicted churn probability threshold in the training set by minimizing the total misclassification cost. It uses this churn probability as the optimal threshold to categorize customers in the test set. A test instance with predicted churn probability above or equal to this optimal cut-off point is predicted as a churner; otherwise it is considered a non-churner. Practically, the total misclassification cost for the training data is calculated for each possible value on the predicted churn probabilities. The churn probability that yields the lowest total misclassification cost is retained and used as the optimal threshold to classify the customers in the test set into churners or non-churners.

5.4. Weighting

Weighting assigns different weights to customers in the training set according to their target class (Ting 2002). As such, the classification algorithm could take into account these weights during training, and it thus favours the class with the highest weight. Because logistic regression is used as the classification technique within this research paper, a weighted logistic regression is applied. Elkan (2001) proposes to weight the majority class or the non-churner group by $\frac{c_{10}}{c_{01}}$. In other words, the weights assigned to the training data resemble the cost ratios between the false
positive and the false negative classifications. The weights are linearly incorporated into the
calculation of the likelihood function of the logistic regression. The likelihood function \( \ell \) for a
given beta vector \( \beta \) and \( n \) training points is given by:

\[
\ell(\beta) = \prod_{i=1}^{n} w_i \left\{ \pi(x_i) \right\}^{y_i} \left\{ 1 - \pi(x_i) \right\}^{1-y_i}
\]

where \( w_i \) is the weight for data point \( i \), \( \pi(x_i) \) is the conditional probability that \( y \) is equal to 1 for a
given \( x \), or \( p(y=1|x) \), and \( y_i=1 \) for churners and \( y_i=0 \) otherwise.

6. EMPIRICAL SETTING

6.1. Datasets

In this study, six real-life datasets from large retail companies are used to analyse the
performance of the cost-sensitive learners in predicting complete defection. All datasets contain
variations of traditionally-used customer information like transactional, socio-demographical and
client/company interaction information, to differentiate churners from non-churners. Table 2
gives a description of the different datasets.

INSERT TABLE 2 OVER HERE

Moreover, Table 3 gives an overview of the different datasets in terms of industry, number of
customers, and percentage of churners (churn incidence).

INSERT TABLE 3 OVER HERE.

The datasets are collected from retailers in a rich variety of business settings: two information
media providers, two financial institutions and two traditional store retailers (one do-it-yourself
store and one food supermarket). These contexts are well studied in retail literature (Koukova et
al. 2008, Demoulin and Zidda 2009, Farquhar and Panther 2008), and consequently, these
datasets represent an ideal test bed to benchmark the different algorithms in this research paper.

In this study, experiments are conducted using the five cost models with \( c_{00}=c_{11}=0 \), \( c_{10}=1 \) and
\( c_{01}=r \) where \( r \) is set alternately to 2, 3, 5, 10 and 20. Note that the absolute difference in the values
for $c_{10}$ and $c_{01}$ is irrelevant for algorithm comparison purposes, because only their ratio $1:r$ is significant.

To create a reliable and valid testing environment, the datasets are randomly divided into a training set and a test set following the setup of other large-scale benchmark studies in the data mining field (Lessmann et al. 2008, Baesens et al. 2003), including churn prediction (Verbeke et al. 2011). The training set (70 percent of the data) is used to learn the classification model, while the test set (the remaining 30 percent of the data) is used to validate the model (Lemmens and Croux 2006). Measuring the performance on separate test data is necessary because that avoids (statistical) relations that predict idiosyncratic characteristics of the training data that would not hold up in the real world (Blattberg et al. 2008). Both datasets contain a proportion of churners that is representative for the true population, to approximate a real-life situation. The total misclassification cost on the test set is used as performance measure to evaluate the different decision-making alternatives (see Equation 1).

6.2. Practical Threshold

The threshold on the predicted churn probabilities in many practical decision-making situations is based on the arbitrary probability of 0.5. Many marketing managers implicitly decide to classify a customer as a churner when the churn probability exceeds 0.5. Moreover, standard classification algorithms are often designed to minimize error-rate, while their classification decisions are based on the probability threshold of 0.5 (Elkan 2001). This practically oriented threshold, hereafter abbreviated as P50, is benchmarked to other, more sophisticated cost-sensitive learners in terms of total misclassification cost.

7. FINDINGS

This section reports the findings of the benchmark study for the different cost-sensitive learners.

7.1. General Results
The empirical results are summarized in Table 4. An entry \( w/l \) means that the approach at the corresponding row wins \( w \) runs and loses \( l \) runs compared to the approach at the corresponding column. Thirty runs of five cost ratios (that is 1:2, 1:3, 1:5, 1:10 and 1:20) on each of the six datasets are available to compare the different algorithms. For instance, the first cell in the matrix compares P50 with metacost and shows a figure ‘1/29’, meaning that P50 beats metacost once, while P50 loses 29 times to metacost.

Table 4 clearly shows that P50 always performs worse than the other cost-sensitive approaches. Incorporating unequal misclassification costs and classifying the customers based on the arbitrary threshold of 0.50 results in a poor classification performance in terms of total misclassification cost. Moreover, incorporating costs/weights into the classification algorithm itself (weighting) always performs better than the relabeling techniques (DMECC and metacost) and threshold adjusting. In contrast, thresholding performs worse than the relabeling approaches (DMECC and metacost). Between the relabeling approaches, there is a slight advantage for metacost over DMECC. A translation of the mutual challenges to a ranking, based on the wins/losses matrix, is found in Table 5.

Table 5 shows the rank of the different approaches based on the wins/losses; the lower the rank, the better the approach.

7.2. Sensitivity to Cost Ratio & Churn Incidence

To evaluate the sensitivity of the different approaches in terms of the cost ratio, two categories are created: the low cost ratio category contains cost ratios 1:2, 1:3 and 1:5, while the cost ratios 1:10 and 1:20 are categorized under the high cost ratio category. To evaluate how the cost-sensitive learners perform in circumstances with different churn levels, the datasets are divided based on their churn incidence into low, medium or high. A dataset belongs to the low churn level when the churn incidence is less than 10 percent (dataset 4 and 6), the medium churn level when
the churn incidence lies between 10 and 20 percent (dataset 1 and 2) and the high churn level when the churn incidence is higher than 20 percent (dataset 3 and 5).

Table 6 represents the results using the single best criterion. In other words, the figures in Table 6 represent the number of times that an approach is the winner, because it has the lowest misclassification cost in a particular setting. For instance, a figure ‘8’ in the matrix means that the cost-sensitive learner has eight times the lowest misclassification cost. The evaluation is done by aggregating the results Overall and splitting by Cost ratio (low-high), Churn level (low-medium-high) and Cost ratio (low-high) × Churn level (low-medium-high).

Table 6 indicates that overall weighting is the winner (12 out of 30), followed by metacost and thresholding (8 wins each out of 30), whereas P50 only wins once over all the runs. These results are in line with the ranks given in Table 5. The performance of DMECC seems contradictory with the ranking in Table 5, in that it is only once the winner; this discussion is postponed to the end of this section.

Evaluating the results also should take into account the different cost ratios (see Table 6). Weighting thus outperforms the other techniques in the high cost ratio group. It performs best in nine out of twelve runs. However, metacost and thresholding are the preferred techniques for the low cost ratios: Metacost wins eight and thresholding wins six out of the eighteen runs in this category.

The evaluation taking into account the impact of the different churn levels shows that metacost performs better when the churn level ranges from medium to high, while thresholding performs well in cases with a low to medium churn incidence. Weighting performs similarly over the different churn levels, and competitively with metacost and thresholding.

If we cross-tabulate the cost ratios with the different churn levels, several interesting conclusions emerge. In the case of high cost ratios, weighting is the absolute winner. It is the best in three out of four runs for each churn level. When cost ratios are low, there is a dominance of
thresholding and metacost. Thresholding achieves good performance at low and medium churn levels, while metacost offers good performance when the churn level is medium or high.

The DMECC is only the absolute winner once across all 30 runs according to the results in Table 6. This result seems contradictory with Table 5, which ranks DMECC third on the basis of mutual comparisons of the wins/losses. Figure 2 helps clarify the results, by depicting the absolute ranking of the cost-sensitive learners for the different datasets. For every cost ratio (1:2, 1:3, 1:5, 1:10 and 1:20) of a given dataset, a ranking of the different techniques can be based on the misclassification cost. The cost ratios shape the corners of a pentagonal web; the ranks are represented by the threads of the web. A rank 1 means that for the given cost ratio, this cost-sensitive learner has the lowest misclassification cost and is the best approach, whereas a rank 5 indicates that the approach has the highest misclassification cost compared with the other techniques.

INSERT FIGURE 2 OVER HERE

Figure 2 shows that DMECC is the most robust technique in terms of cost ratio and churn incidence. The ranking of DMECC (orange line) in all the datasets is very close to the best technique, but it is the best approach only once (in dataset 5, churn level high, cost ratio 1:10). The DMECC gives robust performance over the various churn levels and cost ratios. In the end, Figure 2 offers the same conclusions for weighting, metacost, thresholding and P50 as provided at the beginning of this section. For instance, P50 (blue line) performs worse than the other techniques and ranks fifth nearly every time. Weighting (pink line) dominates when cost ratios are high, and the pink line is then situated closer to the centre.

8. CONCLUSIONS

This study focuses on comparing various cost-sensitive learners that incorporate different misclassification costs for churn prediction. It thus delivers insights to churn prediction literature. First, it motivates marketing managers to use the total misclassification cost as an alternative measure for evaluating churn prediction frameworks. Compared with performance measures like
error rate, the AUC or top-decile lift, as are often used in churn prediction papers (Neslin et al. 2006, Lemmens and Croux 2006, Risselada et al. 2010), the total misclassification cost does accommodate different misclassification costs. Yet such an accommodation is inevitable and of crucial importance for optimal churn detection, because classifying a churner as a non-churner has a significantly more negative impact on the company’s retention policy than classifying a non-churner as a churner. In the former case, the company loses direct contact with the client, such that it cannot sell additional products or engage its customer contact strategy, whereas in the latter case, only the ‘pampering’ cost is lost. Second, this article demonstrates that marketing managers in the retail sector should acknowledge that the often used, practically oriented classification threshold of 0.5 (P50) for predicted churn probabilities is not a viable strategy when misclassification cost asymmetries are considered. They should shift instead toward DMECC as the most robust, cost-sensitive approach in any given situation. Third, this study suggests managerial recommendations for optimizing the decision-making process in a customer churn prediction context, considering the cost ratio and churn incidence (see Table 7).

INSERT TABLE 7 OVER HERE

When cost ratios are high, weighting is the most appropriate technique for all churn levels. When cost ratios are low, thresholding tends to perform well in situations with low to medium churn levels, whereas metacost performs well when the churn level ranges from medium to high. Moreover, using the guidelines presented in Table 7, it is possible to optimise the decision-making process in a customer churn context.

This research contributes to churn literature, but it also leaves several pathways for further research. The current study uses logistic regression as the classification technique. However, other classification techniques might be used and benchmarked against logistic regression. Moreover, the focus of this research paper is on cost-sensitive learning techniques. Further research should add and compare other sampling-based techniques, including over-sampling and under-sampling. This research paper takes only single cost models into consideration. Additional
experiments might contrast the performance of these techniques with Adacost, a variant of Adaboost that captures different misclassification costs in an ensemble classification environment (Fan et al. 1999). Finally, the concept of this research paper could be extended to other classification contexts in marketing, such as response modelling, next-product-to-buy modelling and so forth.

Acknowledgments

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REFERENCES


Bradley, A. P. (1997) 'The use of the area under the roc curve in the evaluation of machine learning algorithms', Pattern Recognition, 30(7), 1145-1159.


Table 1
Confusion/Cost matrix for customer churn classification.

<table>
<thead>
<tr>
<th>Predicted behavioral outcome</th>
<th>Actual behavioral outcome</th>
<th>Churner</th>
<th>Non-churner</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Churner</td>
<td>TP</td>
<td>FP</td>
</tr>
<tr>
<td></td>
<td>Non-churner</td>
<td>FN</td>
<td>TN</td>
</tr>
<tr>
<td>Churner</td>
<td>$c_{11}$</td>
<td>$c_{01}$</td>
<td></td>
</tr>
<tr>
<td>Non-churner</td>
<td>$c_{10}$</td>
<td>$c_{00}$</td>
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</tr>
</tbody>
</table>

Table 2
Description of the churn prediction datasets.

<table>
<thead>
<tr>
<th>Dataset</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>Information media provider</td>
<td>Defection of customers after subscription period</td>
</tr>
<tr>
<td>Information media provider</td>
<td>Defection of customers after subscription period</td>
</tr>
<tr>
<td>Food supermarket</td>
<td>Defection of customers on a five month period</td>
</tr>
<tr>
<td>Financial institution</td>
<td>Defection of current account holders on a three month period</td>
</tr>
<tr>
<td>Do-it-yourself company</td>
<td>Defection of customers on a four month period</td>
</tr>
<tr>
<td>Financial institution</td>
<td>Defection of current account holders on a twelve month period</td>
</tr>
</tbody>
</table>

Table 3
Descriptive statistics of the churn datasets.

<table>
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<tr>
<th>Dataset</th>
<th>Number of customers</th>
<th>Churn incidence</th>
</tr>
</thead>
<tbody>
<tr>
<td>Information media provider</td>
<td>134,084</td>
<td>11.95%</td>
</tr>
<tr>
<td>Information media provider</td>
<td>143,198</td>
<td>13.07%</td>
</tr>
<tr>
<td>Food supermarket</td>
<td>100,000</td>
<td>30.86%</td>
</tr>
<tr>
<td>Financial institution</td>
<td>117,808</td>
<td>6.29%</td>
</tr>
<tr>
<td>Do-it-yourself company</td>
<td>32,371</td>
<td>25.14%</td>
</tr>
<tr>
<td>Financial institution</td>
<td>102,279</td>
<td>5.98%</td>
</tr>
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</table>

Table 4
Summary of the empirical findings in terms of wins/losses.

<table>
<thead>
<tr>
<th>Metacost</th>
<th>Thresholding</th>
<th>Weighting</th>
<th>DMECC</th>
</tr>
</thead>
<tbody>
<tr>
<td>P50</td>
<td>1/29</td>
<td>1/29</td>
<td>1/29</td>
</tr>
<tr>
<td>Metacost</td>
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<td>13/17</td>
<td>16/14</td>
</tr>
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<td>Thresholding</td>
<td>11/19</td>
<td>12/18</td>
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<tr>
<td>Weighting</td>
<td></td>
<td></td>
<td>17/13</td>
</tr>
</tbody>
</table>

Table 5
Ranking of the approaches based on wins/losses.

| Low | Weighting ↔ Metacost ↔ DMECC ↔ Thresholding ↔ P50 | High |
### Table 6
Overview of the single best approach.

<table>
<thead>
<tr>
<th></th>
<th>Cost ratio</th>
<th>Churn level</th>
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<td>Medium</td>
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<td>0</td>
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<td>1</td>
</tr>
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Figure 1 Absolute ranking of the cost-sensitive learners per dataset (with rank 1 = lowest to rank 5 = highest misclassification cost).
### Table 7
Managerial recommendations.

<table>
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